

# Brunshaw Primary School



*'Inspiring children to be resilient and aspirational learners, within a positive and considerate community.'*

## Maths Policy (division)

March 2026

Agreed by Governors: 27/03/26

## Progression Towards a Written Method for Division

In developing a written method for division, it is important that children understand the concept of division, in that it is:

- repeated subtraction

They also need to understand and work with certain principles, i.e. that it is:

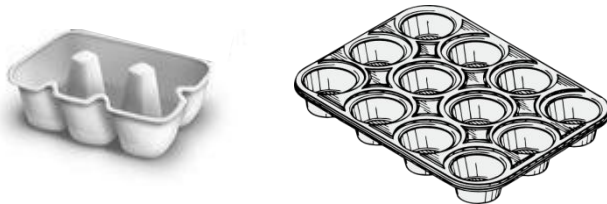
- the inverse of multiplication
- not commutative i.e.  $15 \div 3$  is not the same as  $3 \div 15$
- not associative i.e.  $30 \div (5 \div 2)$  is not the same as  $(30 \div 5) \div 2$

YR

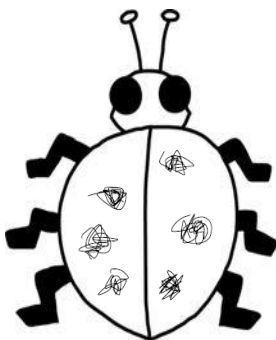
**Early Learning Goal:**  
**Children solve problems, including halving and sharing.**

Children are encouraged to develop a mental picture of the number system in their heads to use for calculation. They should experience practical calculation opportunities using a wide variety of equipment, including small world play, role play, counters, cubes etc.

Children may also investigate sharing items or putting items into groups using items such as egg boxes, ice cube trays and baking tins which are arrays.



They may develop ways of recording calculations using pictures, etc.



A child's jotting showing halving six spots between two sides of a ladybird.



A child's jotting showing how they shared the apples at snack time between two groups.

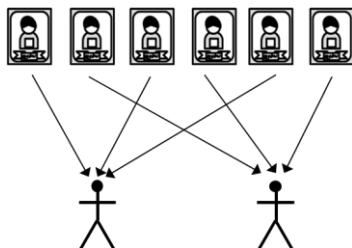


Y1

**End of Year Objective:**  
**Solve one-step problems involving division by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher.**

In year one, children will continue to solve division problems using practical equipment and jottings. They should use the equipment to share objects and separate them into groups, answering questions such as

'If we share these six apples between the three of you, how many will you each have? How do you know?' or 'If six football stickers are shared between two people, how many do they each get?' They may solve both of these types of question by using a 'one for you, one for me' strategy until all of the objects have been given out.



Children should be introduced to the concept of simple remainders in their calculations at this practical stage, being able to identify that the groups are not equal and should refer to the remainder as '... left over'.

## Y2

**End of Year Objective:**  
**Calculate mathematical statements for division within the multiplication tables and write them using the division ( $\div$ ) and equals (=) signs.**

Children will utilise practical equipment to represent division calculations as grouping (repeated subtraction) and use jottings to support their calculation, e.g.

$$12 \div 3 =$$

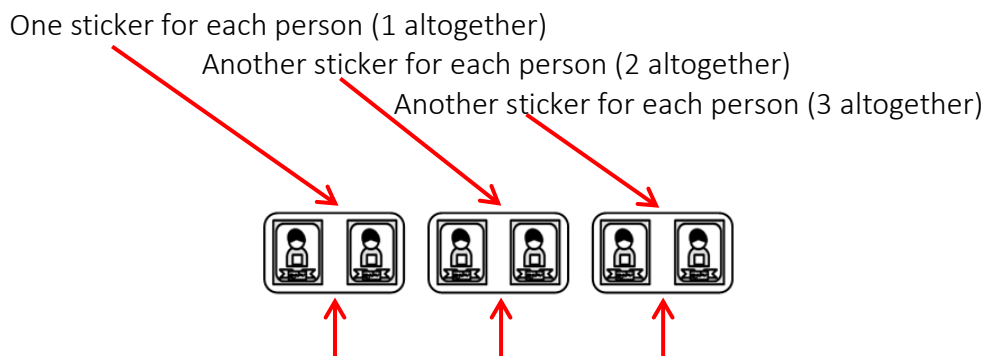


Children need to understand that this calculation reads as 'How many groups of 3 are there in 12?'

The link between sharing and grouping can be modelled in the following way:

To solve the problem 'If six football stickers are shared between two people, how many do they each get?'

Place the football stickers in a bag or box and ask the children how many stickers would need to be taken out of the box to give each person one sticker each (i.e. 2) and exemplify this by putting the cards in groups of 2 until all cards have been removed from the bag.





In preparation for developing the 'chunking' method of division, children should first use the repeated subtraction on a vertical number line alongside the continued use of practical equipment. There are two stages to this:

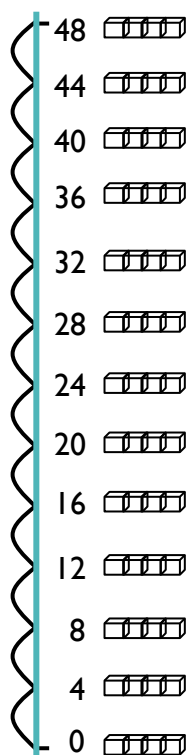
Stage 1 – repeatedly subtracting individual groups of the divisor

Stage 2 – subtracting multiples of the divisor (initially 10 groups and individual groups, then 10 groups and other multiples in line with tables knowledge)

After each group has been subtracted, children should consider how many are left to enable them to identify the amount remaining on the number line.

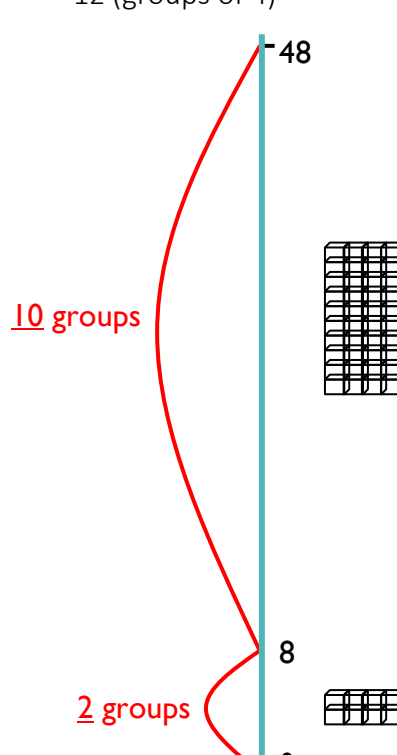
Stage 1

$$48 \div 4 = 12 \text{ (groups of 4)}$$



Stage 2

$$48 \div 4 = 10 \text{ (groups of 4)} + 2 \text{ (groups of 4)} \\ = 12 \text{ (groups of 4)}$$



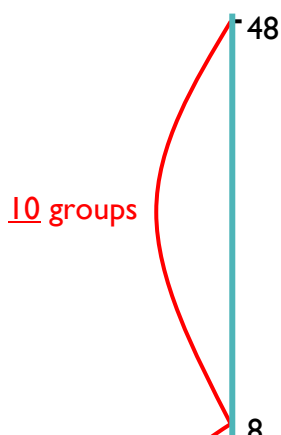
Children should be able to solve real life problems including those with money and measures. They need to be able to make decisions about what to do with remainders after division and round up or down accordingly.

Y4

**End of Year Objective:**

**Divide numbers up to 3 digits by a one-digit number using the formal written method of short division and interpret remainders appropriately for the context.**

Children will continue to develop their use of grouping (repeated subtraction) to be able to subtract multiples of the divisor, moving on to the use of the 'chunking' method.



$$\begin{array}{r}
 12 \\
 4 \overline{) 48} \\
 \underline{- 40} \\
 8 \\
 \underline{- 8} \\
 0
 \end{array}$$

Answer: 12

Children should write their answer above the calculation to make it easy for them and the teacher to distinguish.

The number line method used in year 3 can be linked to the

When developing their understanding of 'chunking', children should utilise a 'key facts' box, as shown below. This enables an efficient recall of tables facts and will help them in identifying the largest group they can subtract in one chunk. Any remainders should be shown as integers, e.g.

$$73 \div 3$$

$$\begin{array}{r}
 \underline{24}r1 \\
 3 \overline{)73} \\
 - 30 \\
 \hline
 43 \\
 - 30 \\
 \hline
 13 \\
 - 6 \\
 \hline
 7 \\
 - 6 \\
 \hline
 1
 \end{array}$$

Key facts box

1x	3
2x	6
5x	15
10x	30

By the end of year 4, children should be able to use the chunking method to divide a three digit number by a single digit number. To make this method more efficient, the key facts in the menu box should be extended to include 4x and 20x, e.g.

$$196 \div 6$$

$$\begin{array}{r}
 \underline{32}r4 \\
 3 \overline{)196} \\
 - 120 \\
 \hline
 76 \\
 - 60 \\
 \hline
 16 \\
 - 12 \\
 \hline
 4
 \end{array}$$

Key facts box

1x	6
2x	12
4x	24
5x	30
10x	60
20x	120

Children should be able to solve real life problems including those with money and measures. They need to be able to make decisions about what to do with remainders after division and round up or down accordingly.

Y5

**End of Year Objective:**

**Divide numbers up to 4 digits by a one-digit number using the formal written method of short division and interpret remainders appropriately for the context.**

Children may continue to use the key facts box for as long as they find it useful. Using their knowledge of linked tables facts, children should be encouraged to use higher multiples of the divisor. **During Year 5, children should be encouraged to be efficient when using the chunking method and not have any subtraction steps that repeat a previous step. For example, when performing  $347 \div 8$  an initial subtraction of 160 ( $20 \times 8$ ) and a further subtraction of 160 ( $20 \times 8$ ) should be changed to a single subtraction of 320 ( $40 \times 8$ ).** Also, any remainders should be shown as integers, e.g.

$523 \div 8$

$$\begin{array}{r} \underline{65}r3 \\ 8 \overline{) 523} \\ - \underline{320} \quad 40x \\ \quad 203 \\ - \underline{160} \quad 20x \\ \quad \quad 43 \\ - \underline{40} \quad 5x \\ \quad \quad \quad 3 \end{array}$$

By the end of year 5, children should be able to use the chunking method to divide a four digit number by a single digit number. If children still need to use the key facts box, it can be extended to include 100x.

$2458 \div 7$

$$\begin{array}{r} \underline{351}r1 \\ 7 \overline{) 2458} \\ - \underline{2100} \quad 300x \\ \quad \quad 358 \\ - \underline{350} \quad 50x \\ \quad \quad \quad 8 \\ - \underline{7} \quad 1x \\ \quad \quad \quad \quad 1 \end{array}$$

Children should be able to solve real life problems including those with money and measures. They need to be able to make decisions about what to do with remainders after division and round up or down accordingly.

## Y6

### **End of Year Objective:**

**Divide numbers up to 4 digits by a two-digit number using the formal written method of short division where appropriate, interpreting remainders according to the context.**

**Use written division methods in cases where the answer has up to two decimal places.**

To develop the chunking method further, it should be extended to include dividing a four-digit number by a two-digit number, e.g.

$6367 \div 28$

$$\begin{array}{r} \underline{227}r11 \\ 28 \overline{) 6367} \\ - \underline{5600} \quad 200x \\ \quad \quad 767 \\ - \underline{560} \quad 20x \\ \quad \quad \quad 207 \\ - \underline{140} \quad 5x \\ \quad \quad \quad \quad 67 \\ - \underline{56} \quad 2x \\ \quad \quad \quad \quad \quad 11 \end{array}$$

Children should be able to solve real life problems including those with money and measures. They need to be able to make decisions about what to do with remainders after division and round up or down accordingly.

In addition, children should also be able to use the chunking method and solve calculations interpreting the remainder as a decimal up to two decimal places.

This should first be demonstrated using a simple calculation such as  $13 \div 4$  to show the remainder initially as a fraction.



Using practical equipment, children can see that for  $13 \div 4$ , the answer is 3 remainder 1, or put another way, there are three whole groups and a remainder of 1. This remainder is one part towards a full group of 4, so is  $\frac{1}{4}$ . To show the remainder as a fraction, it becomes the numerator where the denominator is the divisor (the number that you are dividing by in the calculation).

$$3574 \div 8$$

$$\begin{array}{r}
 8 \overline{) 3574} \\
 - 3200 \quad 400x \\
 \hline
 374 \\
 - 320 \quad 40x \\
 \hline
 54 \\
 - 48 \quad 6x \\
 \hline
 6
 \end{array}$$

$$\frac{6}{8} \quad \leftarrow \begin{array}{l} \text{remainder} \\ \text{divisor} \end{array}$$

So  $3574 \div 8$  is  $446\frac{6}{8}$   
 (when the remainder is shown as a fraction)

To show the remainder as a decimal relies upon children's knowledge of decimal fraction equivalents. For decimals with no more than 2 decimal places, they should be able to identify:

Half:  $\frac{1}{2} = 0.5$

Quarters:  $\frac{1}{4} = 0.25$ ,  $\frac{3}{4} = 0.75$

Fifths:  $\frac{1}{5} = 0.2$ ,  $\frac{2}{5} = 0.4$ ,  $\frac{3}{5} = 0.6$ ,  $\frac{4}{5} = 0.8$

Tenths:  $\frac{1}{10} = 0.1$ ,  $\frac{2}{10} = 0.2$ ,  $\frac{3}{10} = 0.3$ ,  $\frac{4}{10} = 0.4$ ,  $\frac{5}{10} = 0.5$ ,  $\frac{6}{10} = 0.6$ ,  $\frac{7}{10} = 0.7$ ,  $\frac{8}{10} = 0.8$ ,  $\frac{9}{10} = 0.9$

and reduce other equivalent fractions to their lowest terms.

In the example above,  $3574 \div 8$ , children should be able to identify that the remainder as a fraction of  $\frac{6}{8}$  can be written as  $\frac{3}{4}$  in its lowest terms. As  $\frac{3}{4}$  is equivalent to 0.75, the answer can therefore be written as 446.75.